

# Competition Authority

## Substantive Standards and Social Welfare

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MINISTRY OF EDUCATION & RELIGIOUS AFFAIRS  
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# Basic Question...

*What is the proper standard an Antitrust Authority should use in order to appraise firms' practices?*

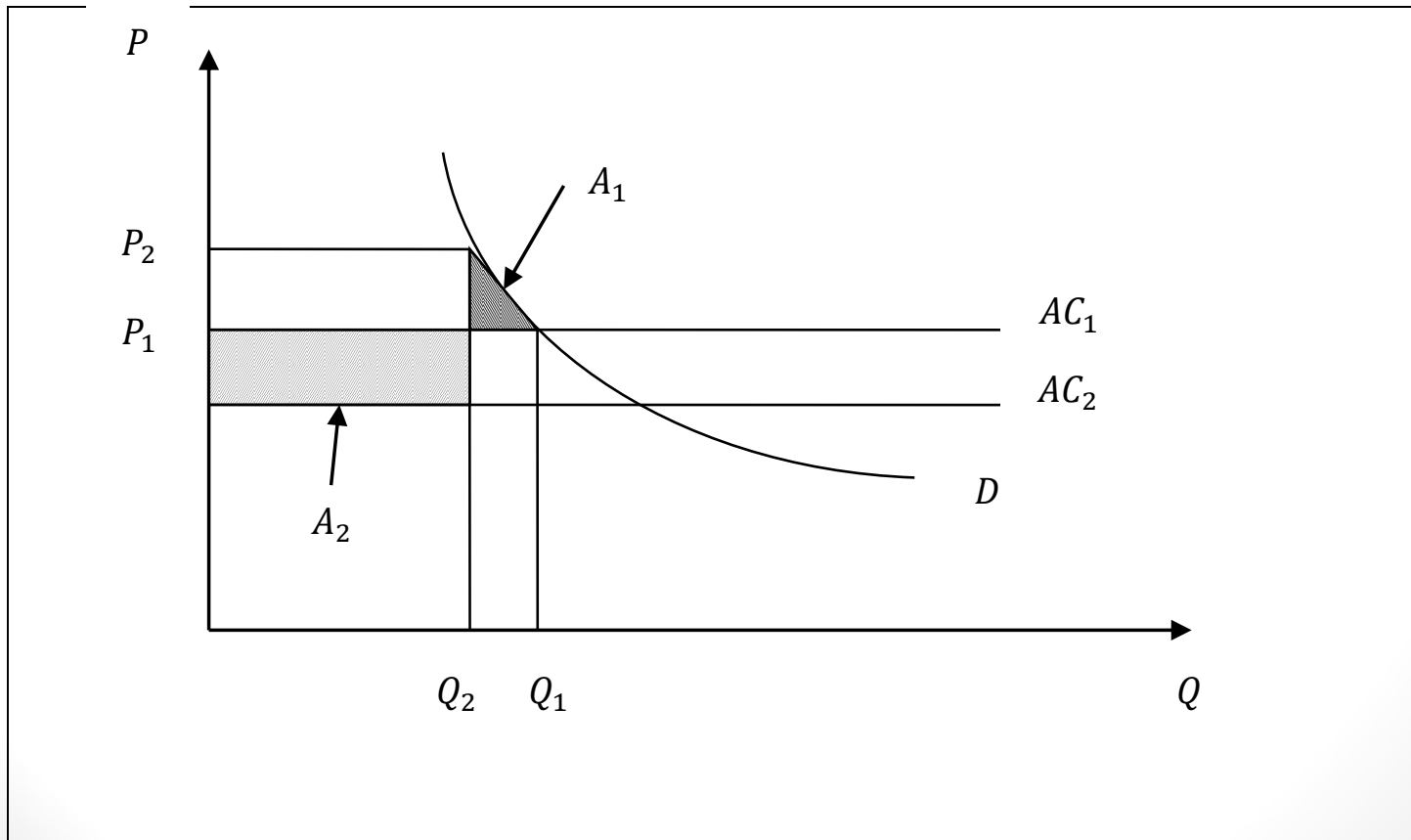
- Long debate with recent resurgence concerning optimal substantive standard.

Consumer Surplus Standard Vs Total Welfare Standard.

- Besanko and Spulber, 1993; Neven and Roeller, 2000; Lyons, 2002; Padilla, 2005; Carlton, 2007; Farrell and Katz, 2006; Heyer, 2006; Fridolsson, 2007; Pittman, 2007; Salop, 2010; Armstrong and Vickers, 2010; Kaplow, 2011, Lianos, 2013; Blair and Sokol, 2013.

# Williamson's trade off (1968)

- The net allocative effect of the merger ( $A_2 - A_1$ ) may be negative or positive depending on the level of cost savings, the price increase and the demand.



# Consumer surplus standard (CSS) Vs. Total Welfare Standard (TWS)

- **Consumer Surplus Standard (CSS)** is the standard used by the world's largest economies, Europe and USA.
- According to the CSS the Competition Authorities only tests the impact of a practice on prices, product quality and output.
- **Total Welfare Standard (TWS)** *also* takes into account the producers' profit and efficiencies that only affect the profit of the firms, for example fixed cost savings.
- A standard that is at least approximating TWS has been adopted by Competition Authorities in Canada and Australia.

# Basic Arguments in favor of a TWS

Proponents of TWS argue that:

- **(Short run) TWS is more likely to maximize long run Consumer Surplus than a (short run) CSS.** Especially in dynamic high-tech industries with high fixed cost savings that enhance firms' incentives to invest in R&D.
- **Distributional concerns in favor of a CSS standard are premised on a false vision of who are consumers and who are producers**
  - In modern economies most transactions are *between* firms.
  - Consumers are also shareholders, so profits flow back to them.
  - Different groups of consumers might be differently affected from an action.
- **A CSS would treat buying cartels as perfectly legal.**

# Basic Arguments in favor of a CSS

Proponents of a CSS standard argue that:

- **There is no reason to think that adopting a TWS would maximize long run consumer surplus.** New technology diffusion is neither instantaneous nor complete and there might exist entry barriers.
- **CSS does not mean that the income is redistributed but that it is not redistributed *away* from consumers.**
- **Adopting the TWS would lead to inefficient conduct.**
- The last point is the most important to our analysis.

# Interaction between firms and CAs

*“The adoption of an aggregate welfare standard likely would not require firms to engage in conduct that maximizes aggregate welfare”*  
(Salop 2010)

That is, the welfare standard used by CAs constitutes just a threshold rule utilized on actions *taken* – with an action deemed illegal if its effect does not satisfy the standard.

**BUT we should also think of the impact of the substantive standard on the choice of actions made by the firms.**

# Interaction between firms and CAs

- The choice of the welfare standard affects the practices proposed and undertaken by the firms since different actions will be treated differently. This interaction between firms and CAs creates a different issue in the context of the above debate.

*That is, accepting that the ultimate goal of antitrust policies is the maximization of total welfare, which is the appropriate standard that should be used by a CA (the agent) to fulfill this goal?*

- An important theoretical concept behind this question is the concept of *strategic delegation*.



# Strategic Delegation

## Related literature

- Besanko and Spulber ;1993.

The adoption of a standard that gives strictly greater weight to consumer surplus can counterbalance the asymmetric information problems between Authorities and firms regarding efficiencies and move equilibrium closer to the first best solution.

- Neven and Roller; 2000.

Under a standard with a consumer surplus bias the Authorities become tougher and less sensitive to perks / lobbying.

# Strategic Delegation

## Related literature

- Lyons; 2002.  
When there is a range of alternative mutually exclusive mergers, antitrust enforcement should account for self selection of the firms.
- Other literature related to Lyons: Farrell and Katz; 2006, Fridolfsson; 2007, Armstrong and Vickers; 2010, Nocke and Whinston; 2011.

# This paper

- We re-examine the insight of Lyons by generalizing his analysis to the case where firms choose between mutually exclusive potentially anticompetitive actions of *any type*, not just mergers.
- Firms differ in the environment from which they come from.
- Actions enhance ability to increase price – cost margin but also can reduce marginal cost.

# This paper

- We show that there will exist environments for which having a consumer welfare standard may induce firms to choose lower profit actions that result in higher welfare than higher-profit actions, which would be chosen under a total welfare standard. We call this effect the *Lyons Effect*.
- However, there will always be some other environments for which welfare is higher under a total welfare standard because a consumer surplus standard would deter firms from taking any action even though there are welfare – enhancing actions that could have been chosen.

# This paper

## Assumptions

- All actions will be detected and assessed by the CA
- The CAs make no errors.
- There is no delay in reaching a decision.
- We always allow of the default action of doing nothing.
- Firms know the standard that will be adopted and the impact on any action they take of the welfare standard.
- If the action will be disallowed firms will have to pay a penalty.

# The Model

- $p^0 - c^0 = \Delta m^0 \geq 0$  (1)

Assume  $c^0 = 1$

- $\Delta p = p^1 - p^0 = \Delta m - \Delta c - \Delta m^0$  (2)

where  $\Delta m = p^1 - c^1 \geq 0$  and  $\Delta c = c^0 - c^1, 0 \leq \Delta c \leq 1$

- The demand function  $p = 1 + A - Q, A > 0$  (3)

so  $\Delta Q = -\Delta p$

- The inverse demand elasticity in the default position is

$$\varepsilon^0 = -\frac{dp}{dQ} \frac{Q^0}{p^0} = -\frac{Q^0}{p^0}$$

# The Model

- $\varepsilon^0(p^0 = 1) = A$  (4)

- $e^0(p^0 = 1 + Dm^0) = \frac{A - Dm^0}{1 + Dm^0} < e^0(p^0 = 1)$  (5)

In what follows we will use parameters  $A$  and  $\Delta m^0$  (and hence  $\varepsilon^0$ ) to represent the *environment* from which a firm comes.

# The Model

- We assume that the price cost margin is some fraction of that which the firm would have charged had it been a monopolist:

$$p^M - c^1 = M = \frac{(1+A) - c^1}{2} = \frac{\Delta c + A}{2} \quad (6)$$

- if the counterfactual is competitive:

$$Dm = m(Dc + A), 0 \leq m \leq 1/2 \quad (7)$$

- While if there exist market power in the counterfactual:

$$Dm = m(Dc + A), Dm^0 / A \leq m \leq 1/2 \quad (8)$$

- In what follows the *action* will be characterised by the pair of parameters  $(\mu, \Delta c)$ . A *trivial action* is one for which this is  $(0, 0)$ .



# The Model

- The change in price will be

(9)

$$\Delta p = -(1-\mu)(\Delta c + \Delta m^0) + \mu(A - \Delta m^0)$$

- The change in Consumer Surplus will be

(11)

$$\Delta CS = \frac{1}{2}[(1-\mu)(\Delta c + A) - (A - \Delta m^0)][(1-\mu)(\Delta c + A) + (A - \Delta m^0)]$$

- The increase in profits will be

(12)

$$\Delta \pi = \mu(1-\mu)(\Delta c + A)^2 - \Delta m^0(A - \Delta m^0)$$

- The change in Total Welfare will be

(13')

$$\Delta W = \Delta c \underbrace{(A - \Delta m^0)}_{Q^0} + \frac{1}{2} \underbrace{[\Delta c - \mu(\Delta c + A) + \Delta m^0]}_{\Delta Q} [\Delta c + \mu(\Delta c + A) + \Delta m^0]$$

$Q^0$

$\Delta Q$

# The Model

$$DW = \underbrace{DcQ^0}_{\downarrow} + \frac{1}{2} DQ \underbrace{[Dc + m(Dc + A) + Dm^0]}_{\searrow}$$

Benefits from cost reduction if output were to remain at the same level.

The effect of the change in output (increase or decrease)

# The Model

- When no market power in the counterfactual position

$$p^0 = c^0, \Delta m^0 = 0, \varepsilon^0 = A$$

- $\Delta CS = \frac{1}{2}[(1-\mu)^2(\Delta c + \varepsilon)^2 - \varepsilon^2]$  (11'')

- $\Delta \Pi = \mu(1-\mu)(\Delta c + \varepsilon)^2$  (12')

- $DW = Dc \cdot e + \frac{1}{2}[Dc - m(Dc + e)][Dc + m(Dc + e)]$  (14')

# The Model

- Since

$$\Delta CS = \frac{1}{2} [(1 - \mu)^2 (\Delta c + \varepsilon)^2 - \varepsilon^2]$$

for any non-trivial action we have the following:

- The change in Consumer Surplus is a *strictly increasing function of  $\Delta c$*  and a *strictly decreasing function of  $\mu$* .
- Also, if  $\varepsilon < \underline{\varepsilon} = \frac{\Delta c(1 - \mu)}{\mu}$  then the change in consumer surplus is positive, while if  $\varepsilon > \underline{\varepsilon} = \frac{\Delta c(1 - \mu)}{\mu}$  it is negative.

# The Model

$$\Delta\Pi = \mu(1 - \mu)(\Delta c + \varepsilon)^2$$

- For *any environment* and *any non-trivial action*, the change in profits is positive and is a strictly increasing function of both  $\Delta c$  and  $\mu$  and also  $\varepsilon$ .

# The Model

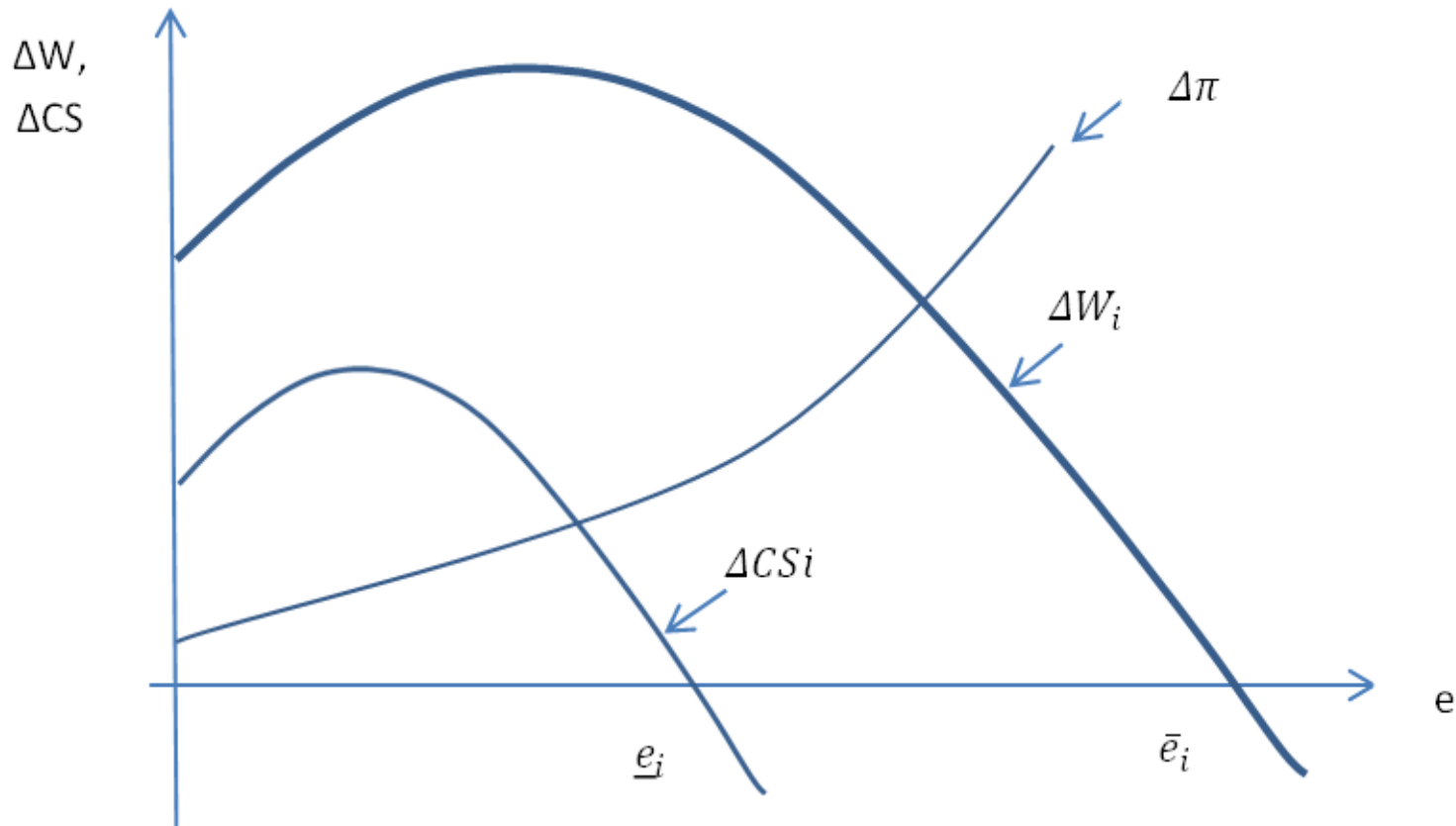
$$DW = Dc \cdot e + \frac{1}{2} [Dc - m(Dc + e)][Dc + m(Dc + e)]$$

- The change in total welfare is a *strictly increasing function of  $\Delta c$*  and a *strictly decreasing function of  $\mu$* .
- If  $\varepsilon < \underline{\varepsilon} = \frac{\Delta c(1-\mu)}{\mu}$  the change in total welfare is positive.
- There exists an  $\bar{\varepsilon} > \underline{\varepsilon} = \frac{\Delta c(1-\mu)}{\mu}$  such that the change in total welfare is positive if  $\varepsilon < \bar{\varepsilon}$  and negative if  $\varepsilon > \bar{\varepsilon}$ .

# The Model

- The above results immediately tell us that if there is just a *single non-trivial action* that firms can take, then welfare is higher under a total welfare standard than under a consumer surplus standard.

# Comparison of welfare standards when $\Delta m^0 = 0$ and $\Delta c^1 = \Delta c^2 = \Delta c$





# Comparison of welfare standards when $\Delta m(0)=0$

- What happens when there is *more than one (non-trivial) actions  $j$* ?
- Indexing the environment by  $e=\varepsilon/\Delta c > 0$  assume that
  1. for all  $j > 0$ ,  $\exists \underline{e}_j > 0$  such that
    - a.  $\Delta CS(j, e) > 0$  if  $e < \underline{e}_j$
    - b.  $\Delta CS(j, e) < 0$  if  $e > \underline{e}_j$
  2. for all  $j > 0$  and for all  $e > 0$ ,  $\Delta \pi(j, e) > 0$
  3. for all  $j > 0$ ,  $\exists \bar{e}_j > \underline{e}_j$  such that
    - a.  $\Delta W(j, e) > 0$  if  $e < \bar{e}_j$
    - b.  $\Delta W(j, e) < 0$  if  $e > \bar{e}_j$

# Comparison of welfare standards when $\Delta m(0)=0$

Under any welfare standard each firm will choose the action that maximises their private benefit.

Let

- $\hat{j}^{CS}(e) = \arg \max \Delta \pi(j, e) \text{ s.t. } \Delta CS(j, e) \geq 0$  be the action chosen by a firm from environment  $e$  under a consumer surplus standard and  $\Delta \hat{W}^{CS}(e) = \Delta W[\hat{j}^{CS}(e), e]$  be the representative welfare change.
- $\hat{j}^T(e) = \arg \max \Delta \pi(j, e) \text{ s.t. } \Delta W(j, e) \geq 0$  be the action chosen by a firm from environment  $e$  under a total welfare standard and  $\Delta \hat{W}^T(e) = \Delta W[\hat{j}^T(e), e]$  be the respective welfare change.

# Comparison of welfare standards when $\Delta m(0)=0$ and $\Delta c1=\Delta c2=\Delta c$

- Let  $e = \varepsilon / \Delta c$  then

$$DCS(m, e) = \frac{1}{2} \{ [(1 - m)(1 + e)]^2 - e^2 \}$$

$$\Delta \pi(\mu, e) = \mu(1 - \mu)(1 + e)^2$$

$$\Delta W(\mu, e) = e + \frac{1}{2} \{ 1 - [\mu(1 + e)]^2 \}$$

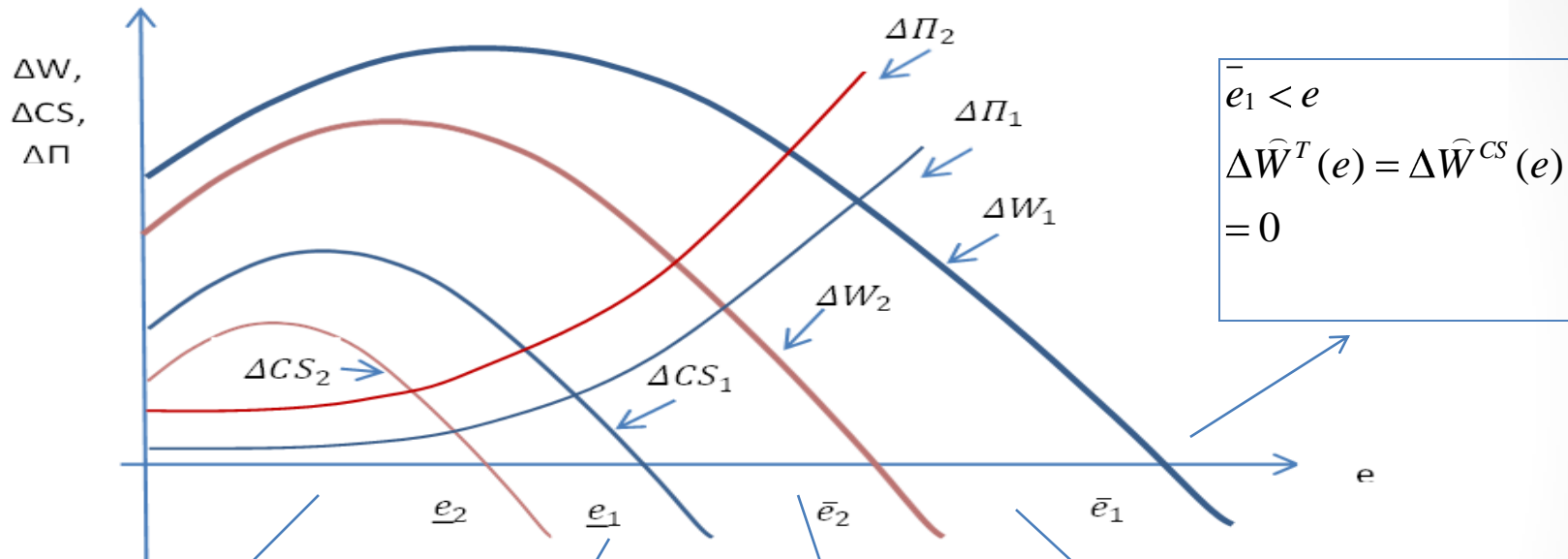
# Comparison of welfare standards when $\Delta m(0)=0$ and $\Delta c_1=\Delta c_2=\Delta c$

- Consider two actions with common  $\Delta c$ :

$$a_j = (\mu, \Delta c), j = 1, 2, 0 < \mu_1 < \mu_2 < 1/2$$

- Then the action 2 is more profitable and so will be chosen whenever both are available though that will lead to lower welfare.

# Comparison of welfare standards when $\Delta m(0)=0$ and $\Delta c1=\Delta c2=\Delta c$



$$0 < e < \underline{e}_2$$

$$D\hat{W}^{CS}(e) = D\hat{W}^T(e)$$

$$= DW_2$$

$$\underline{e}_2 < e < \underline{e}_1$$

$$\Delta \hat{W}^{CS}(e) = \Delta W_1$$

$$\Delta \hat{W}^T(e) = \Delta W_2$$

$$\Delta \hat{W}^{CS}(e) > \Delta \hat{W}^T(e)$$

$$\underline{e}_1 < e < \bar{e}_2$$

$$\Delta \hat{W}^T(e) = \Delta W_2$$

$$\Delta \hat{W}^{CS}(e) = 0$$

$$\Delta \hat{W}^{CS}(e) < \Delta \hat{W}^T(e)$$

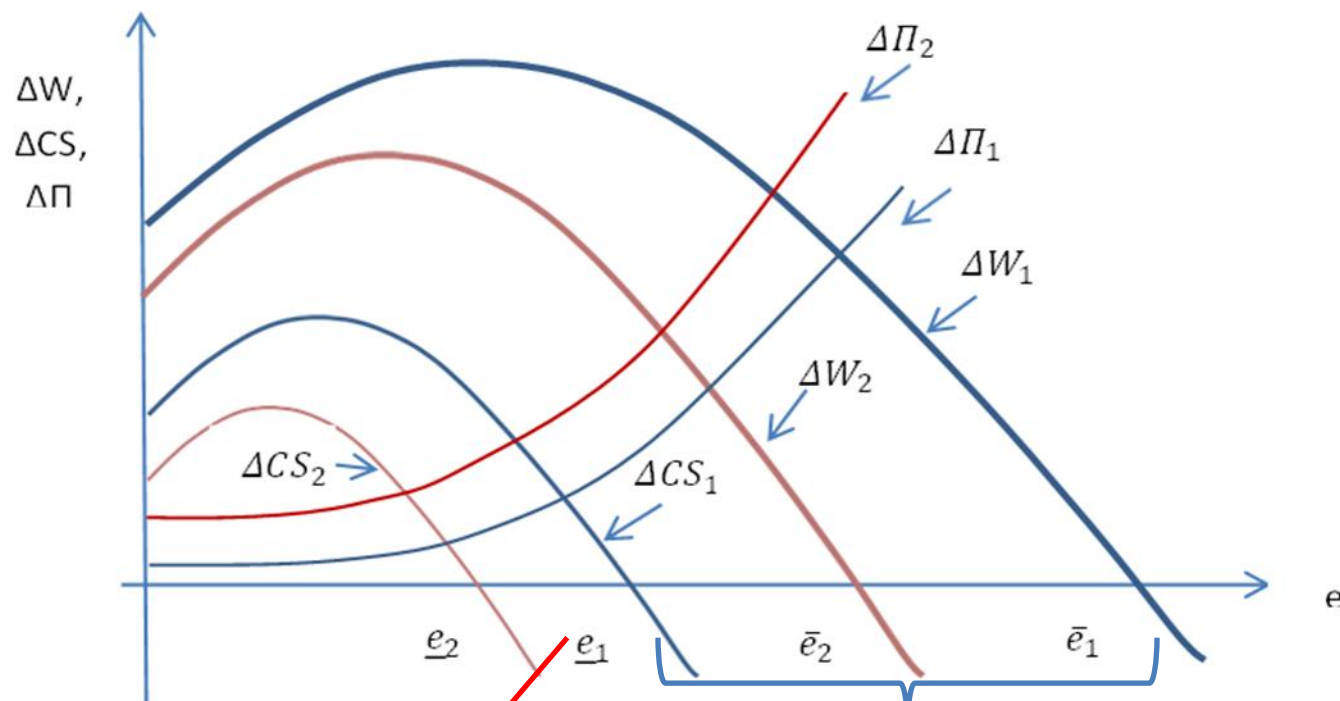
$$\bar{e}_2 < e < \bar{e}_1$$

$$\Delta \hat{W}^T(e) = \Delta W_1$$

$$\Delta \hat{W}^{CS}(e) = 0$$

$$\Delta \hat{W}^{CS}(e) < \Delta \hat{W}^T(e)$$

# Comparison of welfare standards when $\Delta m(0)=0$ and $\Delta c1=\Delta c2=\Delta c$



**LYONS EFFECT**

A Consumer Surplus Standard would deter firms from taking actions that are welfare enhancing

# Comparison of welfare standards when $\Delta m(0)=0$ and $\Delta c_1 \neq \Delta c_2$

- Defining  $e = \frac{e}{Dc_1}$  and  $k = \frac{Dc_2}{Dc_1}$

- For action 1:

$$\Delta CS_1(e) = 1/2 \{ [(1 - \mu_1)(1 + e)]^2 - e^2 \}$$

$$\Delta \pi_1(e) = \mu_1(1 - \mu_1)(1 + e)^2$$

$$\Delta W_1(e) = e + 1/2 \{ 1 - [\mu_1(1 + e)]^2 \}$$

- For action 2:

$$DCS_2(e) = 1/2 \{ [(1 - m_2)(k + e)]^2 - e^2 \}$$

$$Dp_2(e) = m_2(1 - m_2)(k + e)^2$$

$$DW_2(e) = ke + 1/2 \{ k^2 - [m_2(k + e)]^2 \}$$

# Comparison of welfare standards when $\Delta m(0)=0$ and $\Delta c_1 \neq \Delta c_2$

## Case 1: $k > 1$ (cost reduction greater for action 2)

- For all environments  $\Delta \pi_2 > \Delta \pi_1$
- But now it is less clear how the two actions compare from the point of view of Consumer Surplus and Total Welfare
- If  $k \geq \frac{\mu_2(1-\mu_1)}{\mu_1(1-\mu_2)}$  then  $\underline{e}_2 \geq \underline{e}_1$ .

## *Proposition 2:*

- If the cost differences are sufficiently large in favour of the action with the higher price-cost margin, specifically if  $k \geq \frac{\mu_2(1-\mu_1)}{\mu_1(1-\mu_2)}$  then a total welfare standard dominates a consumer surplus standard.



# Comparison of welfare standards when $\Delta m(0)=0$ and $\Delta c_1 \neq \Delta c_2$

## Case 2: $k < 1$ (cost reduction greater for action 1)

- Under both standards action 2 is worse than action 1 ( $e_2 < e_1$  and  $\bar{e}_2 < \bar{e}_1$ ).
- However it is less clear which of the two actions is more profitable.

## *Proposition 3*

- The greater the cost differences in favour of the action with the lower price-cost margin, that is the further is  $k$  from 1 then the less likely is the Lyons effect to exist, and it may disappear altogether if  $k$  lies sufficiently far below 1.

# General Comparison ( $\Delta m_0 > 0$ )

## Example

$\Delta m(0)=0,25, \mu=0,25$						$\Delta m(0)=0,25, \mu=0,125$			
A	$\epsilon$	$\Delta CS2$	$\Delta W2$	$\Delta p2$	$\Delta \Pi2$	$\Delta CS1$	$\Delta W1$	$\Delta p1$	$\Delta \Pi1$
0,5	0,2	0,25	0,375	-0,5	0,125	0,352	0,398	-0,625	0,047
1	0,6	0,352	0,586	-0,375	0,234	0,58	0,639	-0,563	0,059
1,5	1	0,344	0,781	-0,25	0,438	0,75	0,875	-0,5	0,125
2	1,4	0,227	0,961	-0,125	0,734	0,861	1,107	-0,438	0,246
2,5	1,8	0	1,125	0	1,125	0,914	1,335	-0,375	0,442
3	2,2	-0,336	1,27	0,125	1,609	0,91	1,56	-0,3125	0,652
4	3	-1,336	1,523	0,375	2,86	0,721	1,998	-0,1875	1,27
4,2	3,16	-1,588	1,566	0,425	3,154	0,655	2,084	-0,163	1,429
4,4	3,32	-1,858	1,606	0,475	3,464	0,58	2,169	-0,138	1,589
4,6	3,48	-2,146	1,643	0,525	3,789	0,496	2,253	-0,113	1,757
4,8	3,64	-2,451	1,678	0,575	4,129	0,402	2,337	-0,088	1,935
5	3,8	-2,773	1,711	0,625	4,48	0,299	2,42	-0,0625	2,12
6	4,6	-4,64	1,83	0,875	6,48	-0,0357	2,826	0,0625	3,18
7	5,4	-6,91	1,898	1,125	8,859	-1,248	3,217	0,1875	4,465
...	...	...	...	...	...	...	...	...	...
14	11	-35,398	0,586	2,875	35,984	-14,045	5,514	1,063	19,559
15	11,8	-41,21	0,148	3,125	41,359	-16,811	5,779	1,188	22,59

Indifferent

CSS is better

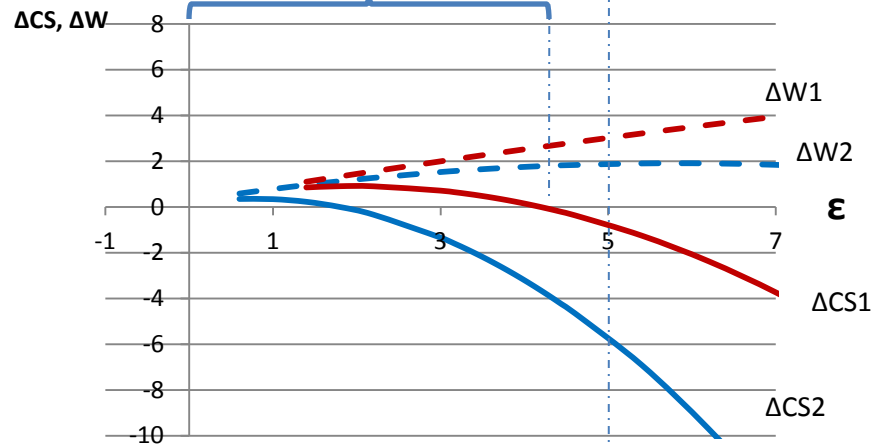
TWS is better

Area where we are indifferent  
OR prefer CSS when  
 $\Delta m(0)=0,75$

## Result 1: Effect of $\Delta m(0)$

Given  $\Delta c$  and two actions  $\mu_1 < \mu_2$ , as  $\Delta m(0)$  increases the range of  $A$  (or  $\epsilon$ ) values over which the Lyons effect holds increases

Area where we are indifferent OR prefer CSS when  $\Delta m(0)=0,25$



**Diagram 1:**

**Initial price cost margin is low  
( $\Delta m(0)=0,25$ )**

**For action 1:**

$$\Delta CS_1 = \Delta CS(\mu_1=0,125), \Delta W_1 = \Delta W(\mu_1=0,125)$$

**For action 2:**

$$\Delta CS_2 = \Delta CS(\mu_2=0,25), \Delta W_2 = \Delta W(\mu_2=0,25)$$

**Both actions generate  $\Delta c=0,5$**

**Diagram 2:**

**Initial price cost margin is high  
( $\Delta m(0)=0,75$ )**

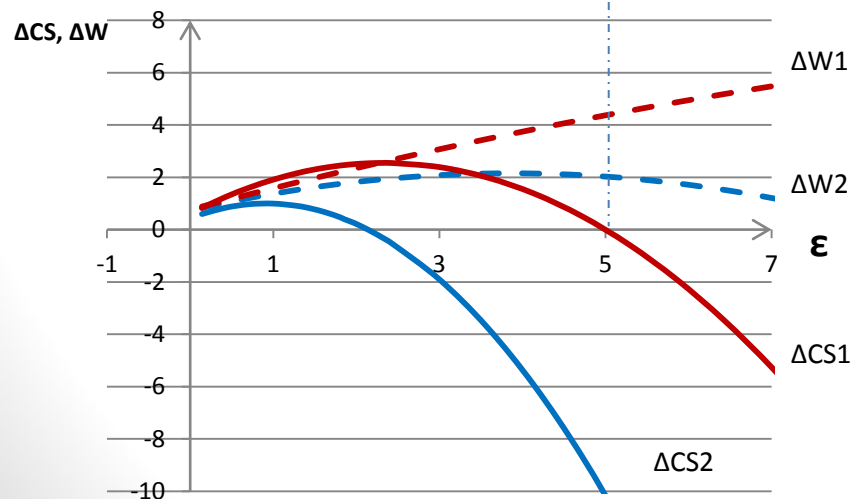
**For action 1:**

$$\Delta CS_1 = \Delta CS(\mu_1=0,125), \Delta W_1 = \Delta W(\mu_1=0,125)$$

**For action 2:**

$$\Delta CS_2 = \Delta CS(\mu_2=0,25), \Delta W_2 = \Delta W(\mu_2=0,25)$$

**Both actions generate  $\Delta c=0,5$**



## Result 2: Effect of $\Delta c$

Given  $\Delta m(0)$  and two actions  $\mu_1 < \mu_2$ , as  $\Delta c$  increases the range of  $A$  (or  $\epsilon$ ) values over which the Lyons effect holds increases

Area where we are indifferent OR prefer CSS when  $\Delta c=0,5$

Area where we are indifferent OR prefer CSS when  $\Delta c=0$

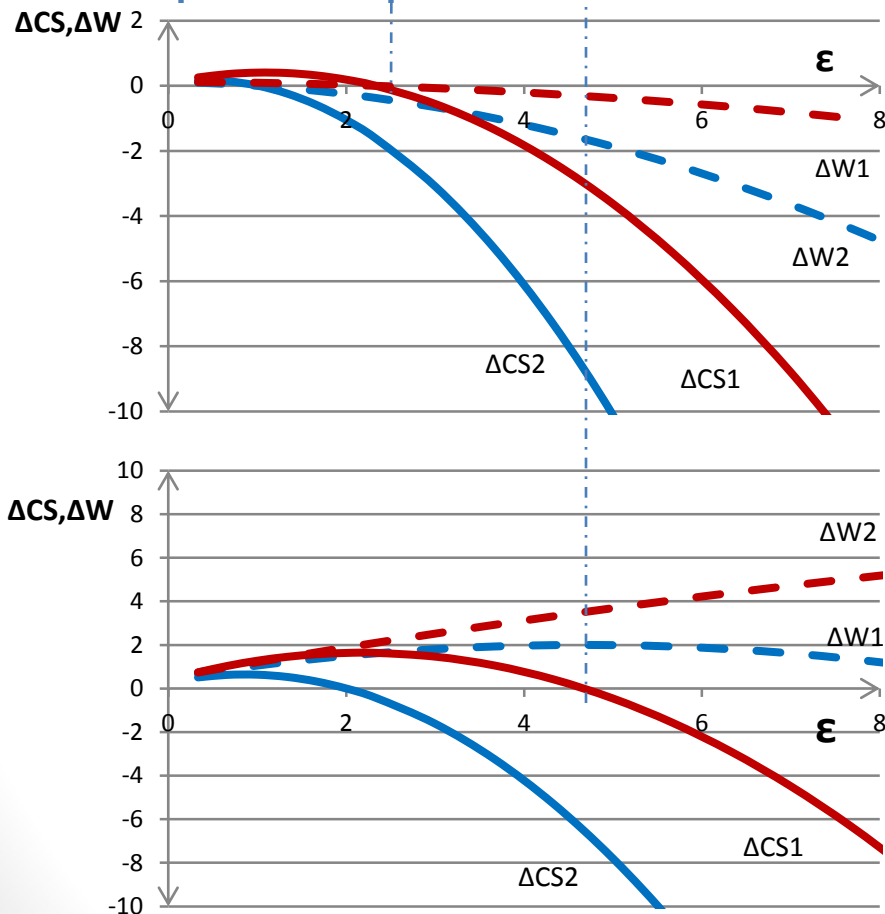


Diagram 3:

**There is no efficiency effect generated by actions 1&2 ( $\Delta c=0$ )**

Initial price-cost margin  $\Delta m(0)=0,5$

For action 1:

$\Delta CS1 = \Delta CS(\mu_1=0,125)$ ,  $\Delta W1 = \Delta W(\mu_1=0,125)$

For action 2:

$\Delta CS2 = \Delta CS(\mu_2=0,25)$ ,  $\Delta W2 = \Delta W(\mu_2=0,25)$

Diagram 4:

**Both actions 1&2 generate efficiency effect  $\Delta c=0,5$**

Initial price-cost margin  $\Delta m(0)=0,5$

For action 1:

$\Delta CS1 = \Delta CS(\mu_1=0,125)$ ,  $\Delta W1 = \Delta W(\mu_1=0,125)$

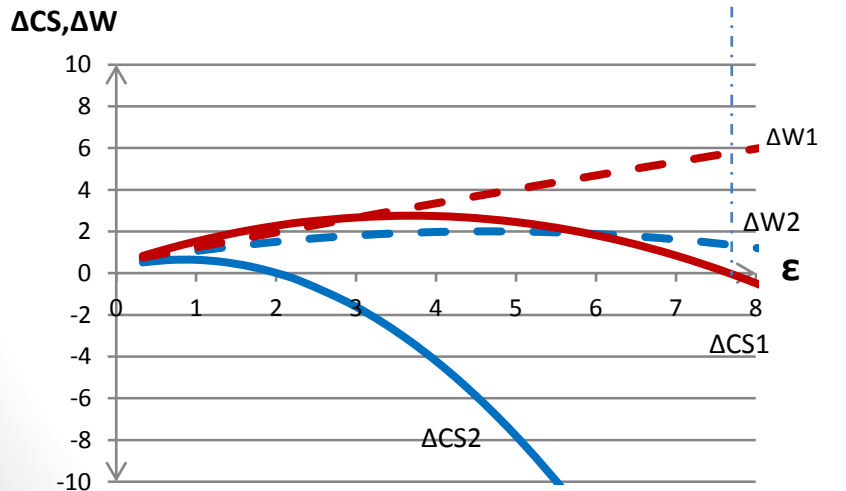
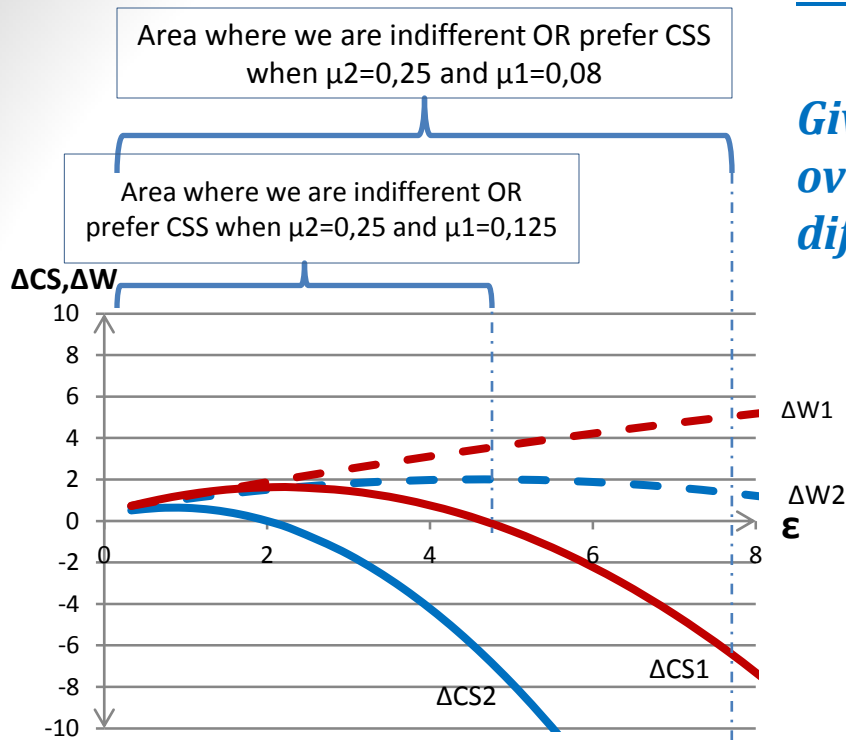
For action 2:

$\Delta CS2 = \Delta CS(\mu_2=0,25)$ ,  $\Delta W2 = \Delta W(\mu_2=0,25)$ ,

# Result 3: Effect of the difference

## *between $\mu_1$ & $\mu_2$*

*Given  $\Delta c$  and  $\Delta m(0)$ , the range of  $A$  (or  $\epsilon$ ) values over which the Lyons effect holds increases when difference in  $\mu_1$  and  $\mu_2$  increases*



**Diagram 4 (Same as before):**

### **$\mu_2=0,25$ and $\mu_1=0,125$**

Both actions 1&2 generate efficiency effect  $\Delta c=0,5$

Initial price-cost margin  $\Delta m(0)=0,5$

For action 1:

$$\Delta CS_1 = \Delta CS(\mu_1=0,125), \Delta W_1 = \Delta W(\mu_1=0,125)$$

For action 2:

$$\Delta CS_2 = \Delta CS(\mu_2=0,25), \Delta W_2 = \Delta W(\mu_2=0,25)$$

**Diagram 5:**

### **$\mu_2=0,25$ and $\mu_1=0,08$**

Both actions 1&2 generate efficiency effect  $\Delta c=0,5$

Initial price-cost margin  $\Delta m(0)=0,5$

For action 1:

$$\Delta CS_1 = \Delta CS(\mu_1=0,125), \Delta W_1 = \Delta W(\mu_1=0,125)$$

For action 2:

$$\Delta CS_2 = \Delta CS(\mu_2=0,08), \Delta W_2 = \Delta W(\mu_2=0,08)$$

**Thank you!!**

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